



Making GANs Much Better, or If at First You Don't Succeed, Try, Try a GAN

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GANs: Generative Adversarial Networks



bicubic
(21.59dB/0.6423)



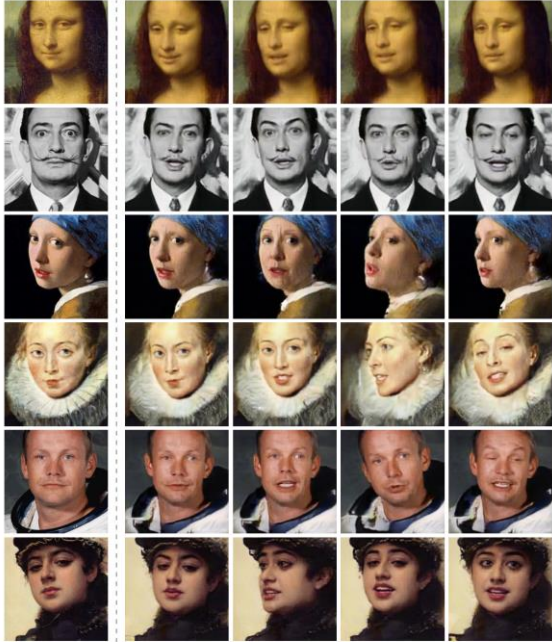
SRResNet
(23.53dB/0.7832)



SRGAN
(21.15dB/0.6868)



original



Source

Generated images

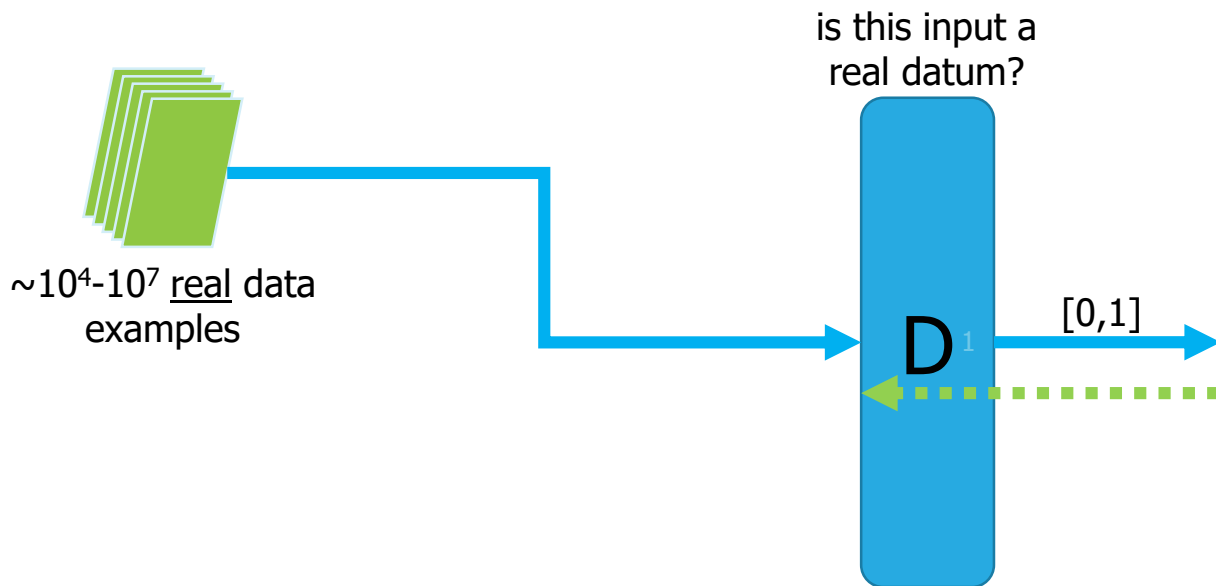
GANs: Generative Adversarial Networks

- Generative
 - Produces synthetic output from only a provided, typically random, input
- Network
 - Deep neural network
- Adversarial
 - Should mean “challenging”: examples that are extreme in some way
 - Does mean “produced by a competitive game”: misleading advertising...

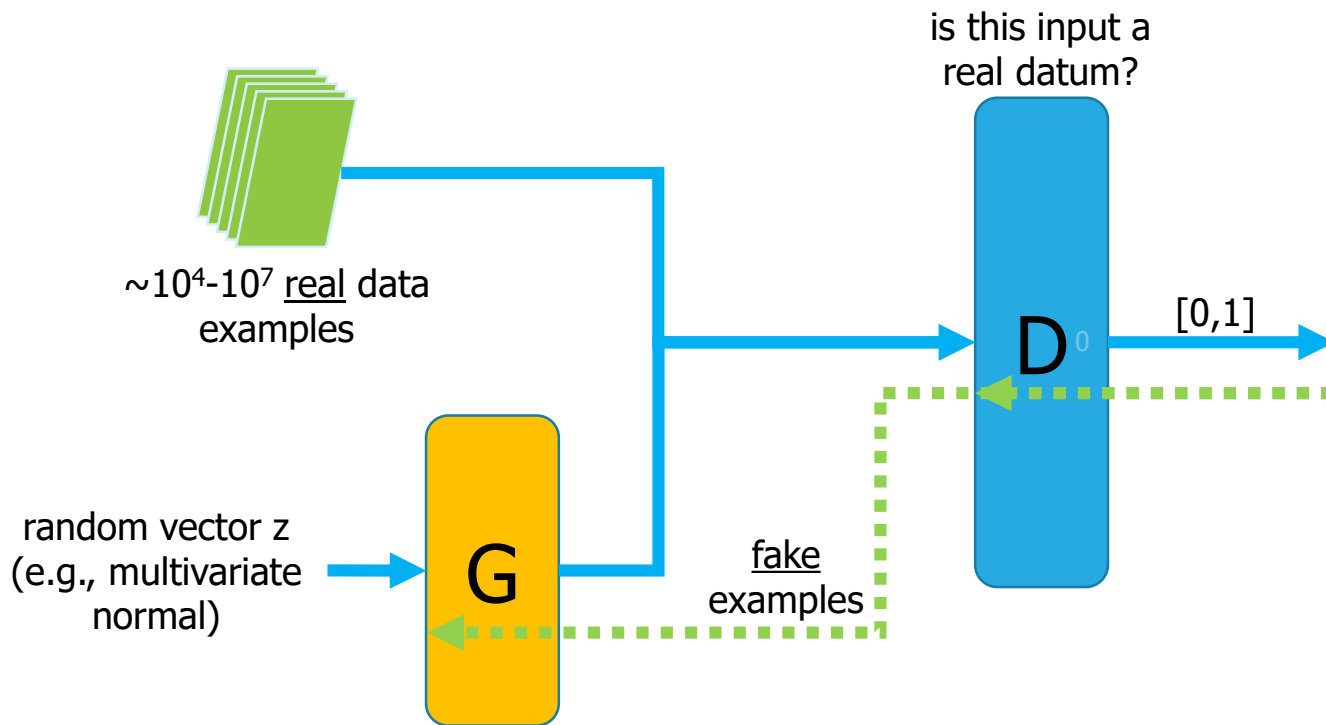
Why does anyone care about GANs?

- Data is precious: **no one** has very much of it
 - $\sim 4 \times 10^{2,500,000}$ possible 4K images
- Can we generate synthetic data that is highly realistic?
 - Enable sophisticated augmentation: avoid overfitting
 - Enable compelling “fakes”: super-resolution, de-noising, art, deepfakes, etc.
- Can we use deep learning to generate realistic, synthetic data?
 - Initially proposed by Goodfellow et al. in 2014; >50K references since then!
 - Try to make synthetic distribution match real distribution

ABCs of GANs: discriminator network, D



ABCs of GANs: generator network, G

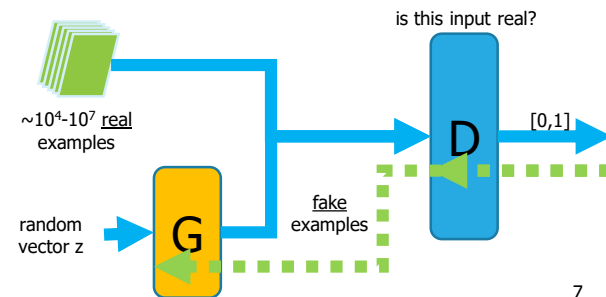


ABCs DEFs of GANs




- GAN “plays a game” where G and D fight
 - Tries to achieve (Nash) equilibrium
- Loss function L
 - $L = \mathbb{E}_{\text{real data points } x}[-\log(D(x))] + \mathbb{E}_{\text{random vectors } z}[-\log(1 - D(G(z)))]$
 - Encourage discriminator D to return 1 for real data points
 - Encourage discriminator D to return 0 for fake data points
 - Encourage generator G to learn to fool D; encourage D not to be fooled

- Sounds reasonable, but...
- Underlying reasoning is simplistic → can do much better



Thinking more critically about GANs

- Why try to match the “distribution” of the labeled input?
 - Copy its biases?!
 - If training set has more “dogs on lawns” than “dogs on streets”, should you copy that?
 - If more white than Black people in your training set, should the GAN copy that, too?

-  distribution on mean
have acc... the disti
infinite number of distributions fi
• Should every da



... could have been drawn:

... y 0?

Thinking more critically about GANs, cont.

- If D seeks a 1 for each training item on average...
 - Then underrepresented features will be ignored to protect the majority!
- If G seeks a 1 for each generated item on average...
 - Then it will focus on “easy” foolers vs. hunting for all foolers
- Is it more important that D get 1’s for real data or 0’s for fake data?
 - Mainstream GANs treat both as equally important. Why?

A trio of oversights

- GAN loss function is

$$L = \mathbb{E}_{\text{real data points } x}[-\log(D(x))] + \mathbb{E}_{\text{random vectors } z}[-\log(1 - D(G(z)))]$$

- 1) First term minimizes D's average surprise that *real* data are... real

- Pushes D towards 1 for real data points, but...
- Small minority of real data points can miss by a mile



- 2) Second term minimizes D's average surprise that *fake* data are fake

- Pushes D towards 0 for fake data points, but...
- Can get away with "easy" fakes: no driver towards variety



A trio of oversights, cont.

- GAN loss function is

- $L = \mathbb{E}_{real\ data\ points\ x}[-\log(D(x))] + \mathbb{E}_{random\ vectors\ z}[-\log(1 - D(G(z)))]$

3) L treats the two terms as equally important

- Mislabeling a real picture vs. mislabeling a fake picture
 - Better? Worse? Equally bad?
 - Why do you think so?
-
- $\sim 10^6$ real images and $\sim 10^{2,500,000}$ possible (4K) images \rightarrow LOTS of ways to generate compelling fakes

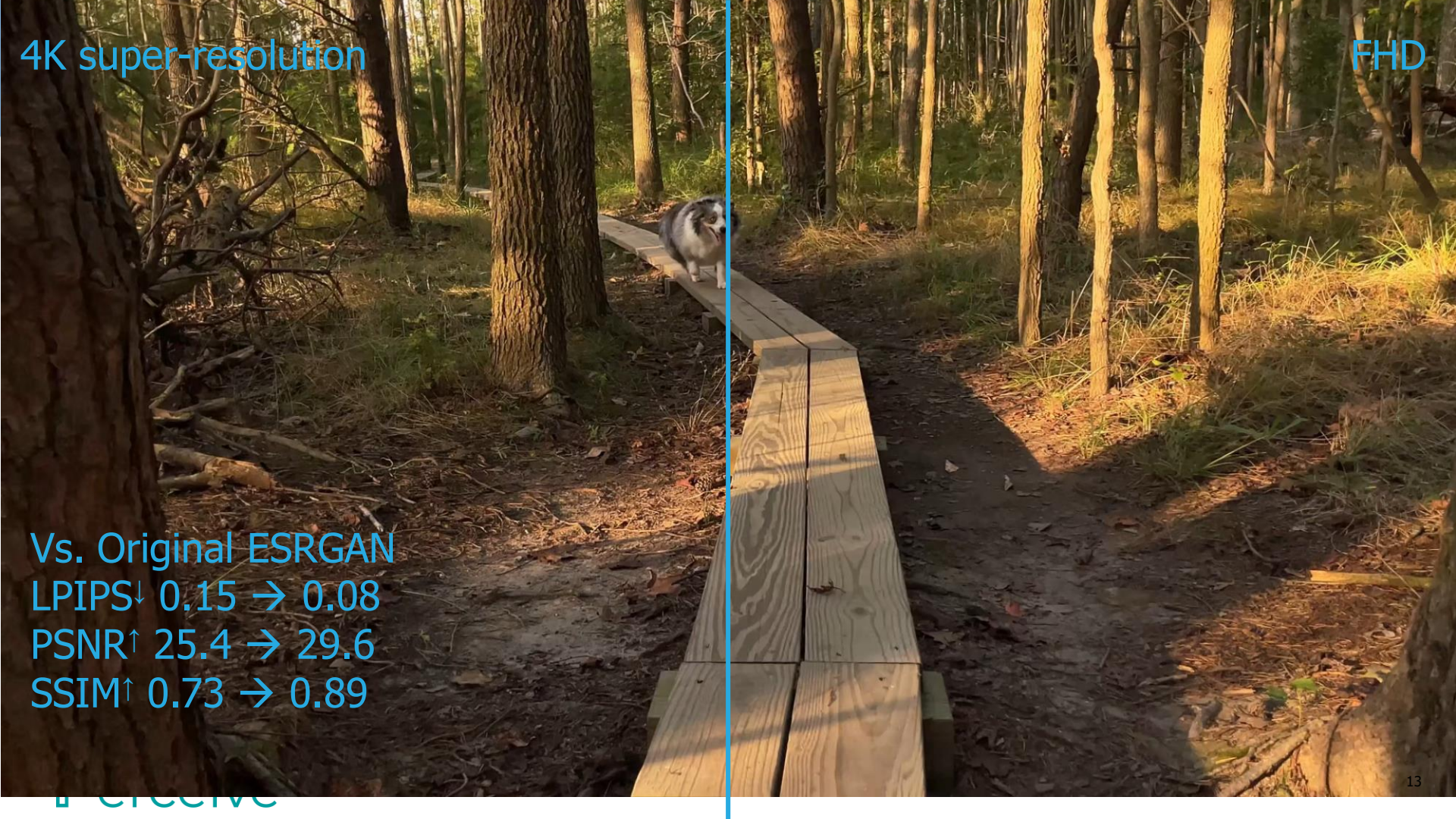
If at first, you don't succeed... try, try a GAN

- 1st term: try to make sure D never fails to identify authentic data points
 - $\mathbb{E}_{\text{real data points } x}[-\log(D(x))] \Rightarrow L_1 = \text{Min}_{\text{real data points } x}[-\log(D(x))]$
 - Continuously differentiable approximation to Min: e.g., LSE
- 2nd term: try to make sure D is never fooled by any synthetic data point
 - I.e., that G searches distribution of z's to get D to make its biggest mistake
 - $\mathbb{E}_{\text{random vectors } z}[-\log(1 - D(G(z)))] \Rightarrow L_2 = \text{Min}_{\text{random vectors } z}[-\log(1 - D(G(z)))]$
- How should the terms be combined? Can we find an underlying principle?!
 - $L_1 + L_2$? $L_1 + \alpha * L_2$? What's α ?
 - $f(L_1, L_2)$? What's f ?

4K super-resolution

FHD

Vs. Original ESRGAN
LPIPS↓ 0.15 → 0.08
PSNR↑ 25.4 → 29.6
SSIM↑ 0.73 → 0.89



- GANs are based on a powerful insight
 - Synthesis of realistic, fake data by “fooling” training... and people!
- GANs are used widely and are influential
- Unfortunately, mainstream GANs are not “adversarial”
 - Poorly chosen loss function creates severe, unwanted biases
- We can fix that by *minimizing maximum surprise* instead
 - Average accuracy is almost never the right thing for ML
- Used to create state-of-the-art super-resolution at 30 fps with 175x lower power than NVIDIA

Resources

Survey of GANs in computer vision:
<https://arxiv.org/abs/1906.01529>

Original GAN paper:
<https://papers.nips.cc/paper/5423-generative-adversarial-nets.pdf>

ESRGAN super-resolution paper:
<https://arxiv.org/abs/1809.00219>

Perceive: <https://www.perceive.io>



2023 Embedded Vision Summit

- Women in Vision Reception:
Tuesday, 6:30-7:30 PM
Exhibit Floor ET-1
- Perceive exhibit (booth #107)